

Gibbs Free Energy

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Gibbs Free Energy

- If we combine the two thermodynamics law;

$$\delta Q = dU + \delta W$$

$$\delta Q = TdS$$

$$TdS \geq \delta Q = dU + \delta W$$

Work done by the system; $\delta W = PdV + dW^*$

dW^* other parameteres rather than PdV

dW^*

$$\delta W = PdV + Fdx + \Phi dq + \dots$$

$$\delta W^* \leq -(dU + PdV - TdS)$$

Gibbs free energy;

$$G = U + PV - TS$$

Gibbs Free Energy

$$G=U+PV-TS$$

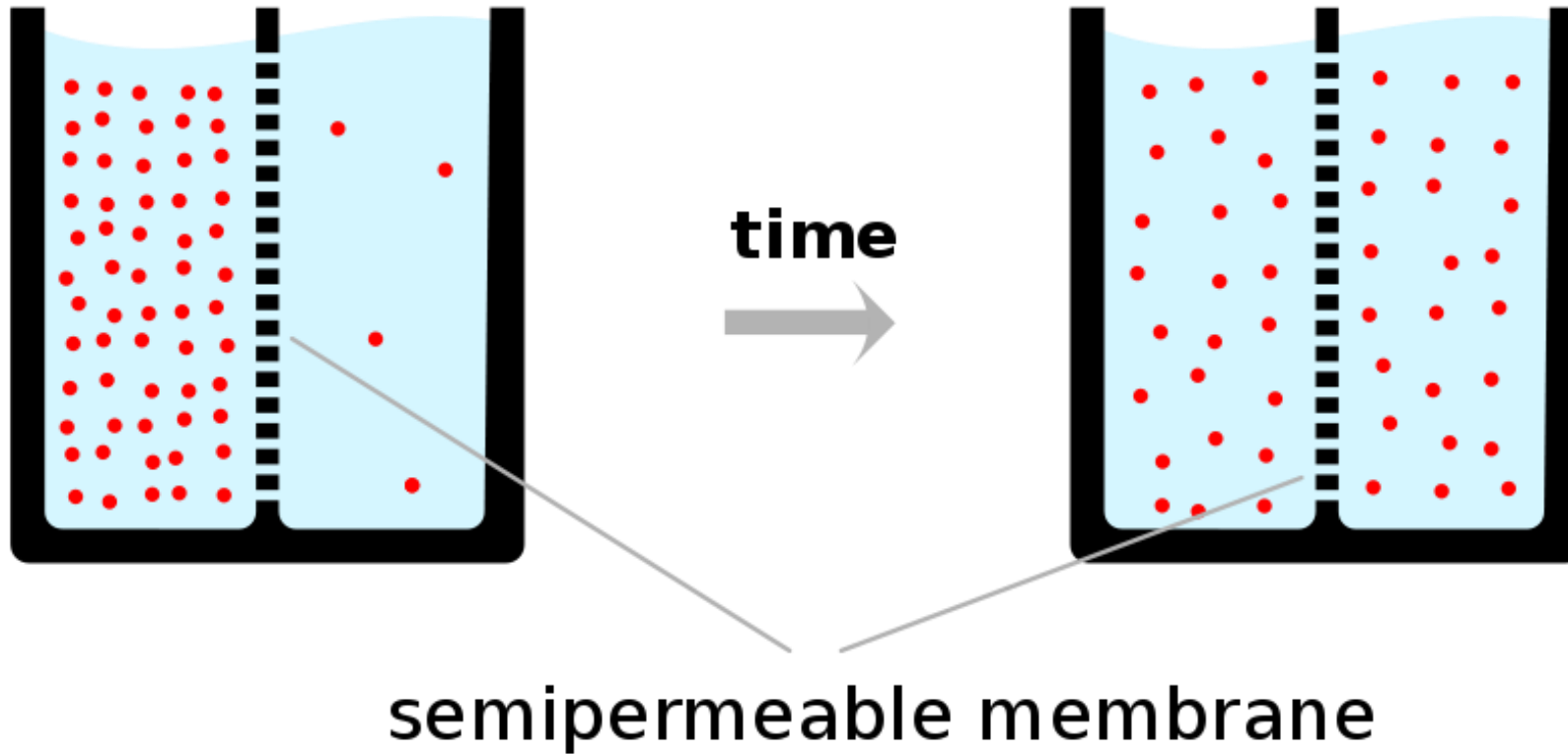
- $G_i = G_i^0 + RT \ln c_i + z_i F V + P v_i \dots$

G_i^0 initial free energy

- **If the gibbs free energy is decreasing means that entropy is increasing**

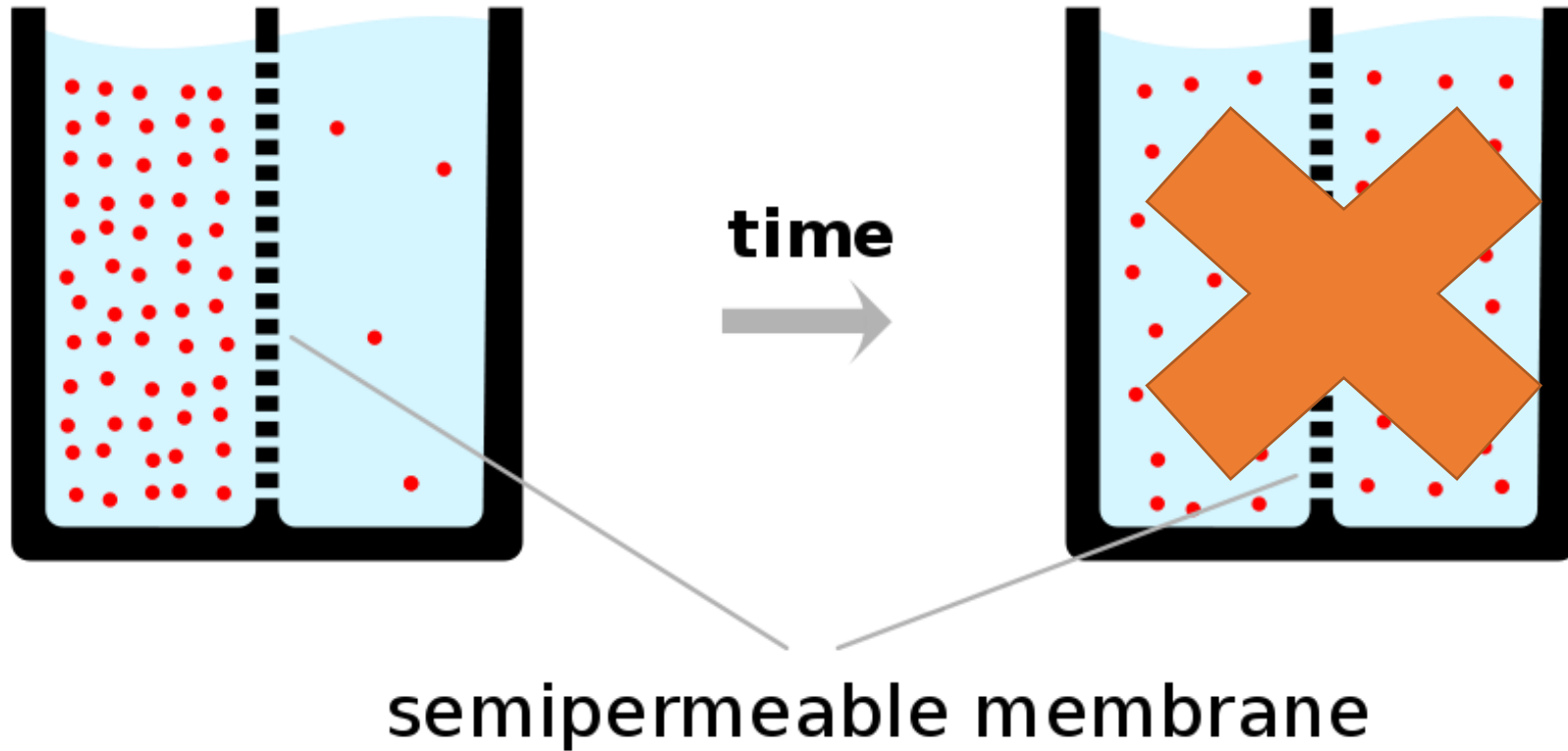
Nernst Equation:

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$$G_i^{i\zeta} = G_i^{d\zeta}$$

$$RT \ln c_i^{i\zeta} + z_i F V^{i\zeta} + \dots = RT \ln c_i^{d\zeta} + z_i F V^{d\zeta} + \dots$$

Nernst Equation:

$$E_i = V^i - V^o = \frac{RT}{z_i F} \ln \frac{C_i^o}{C_i^i}$$

RT/F=25.67mV

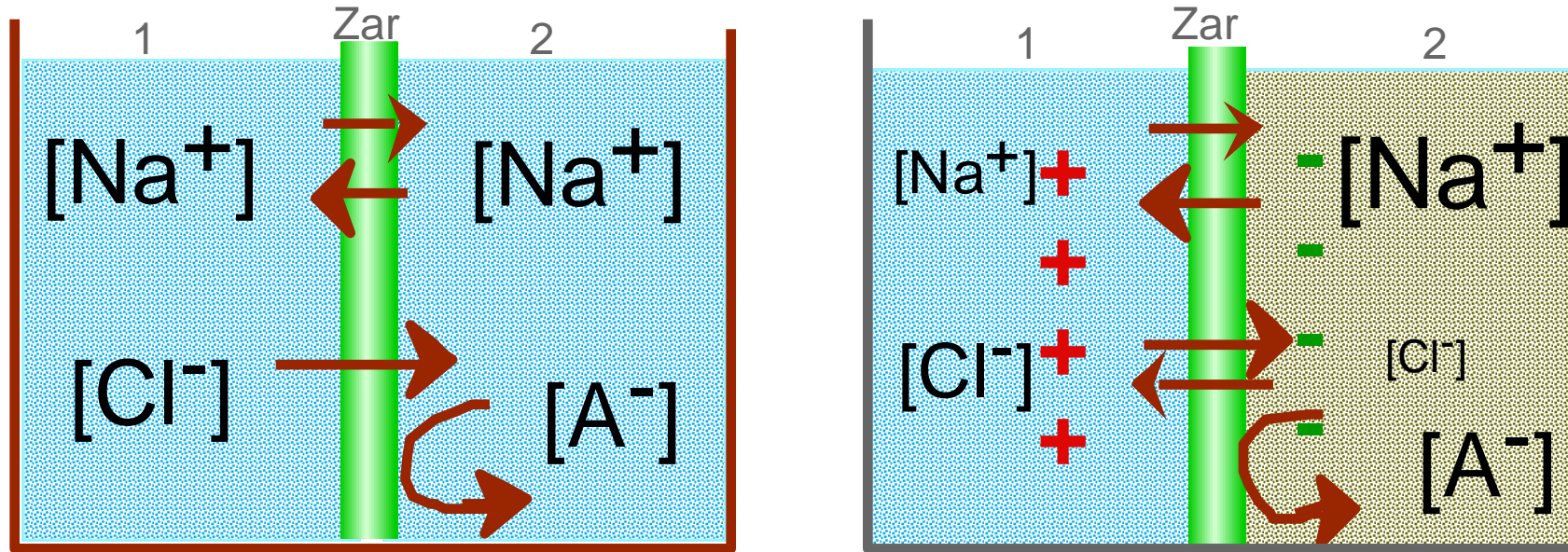
Z=Valence of the electron

E= Electrical potential

C_i=intracellular concentration of an ion

C^o =extraracellular concentration of an ion

Gibbs-Donnan Equilibrium

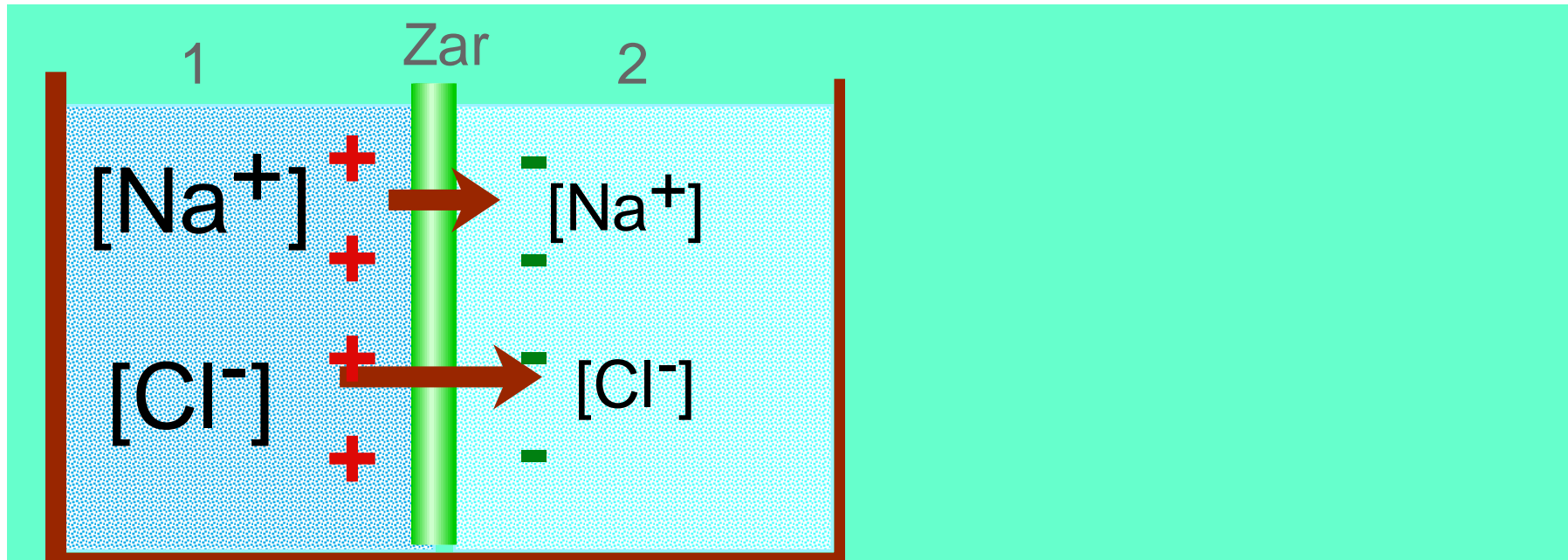


$$G^{\circ}_{Na^+} + RT \ln [Na^+]_1 + FV_1 = G^{\circ}_{Na^+} + RT \ln [Na^+]_2 + FV_2$$

$$G^{\circ}_{Cl^-} + RT \ln [Cl^-]_1 - FV_1 = G^{\circ}_{Cl^-} + RT \ln [Cl^-]_2 - FV_2$$

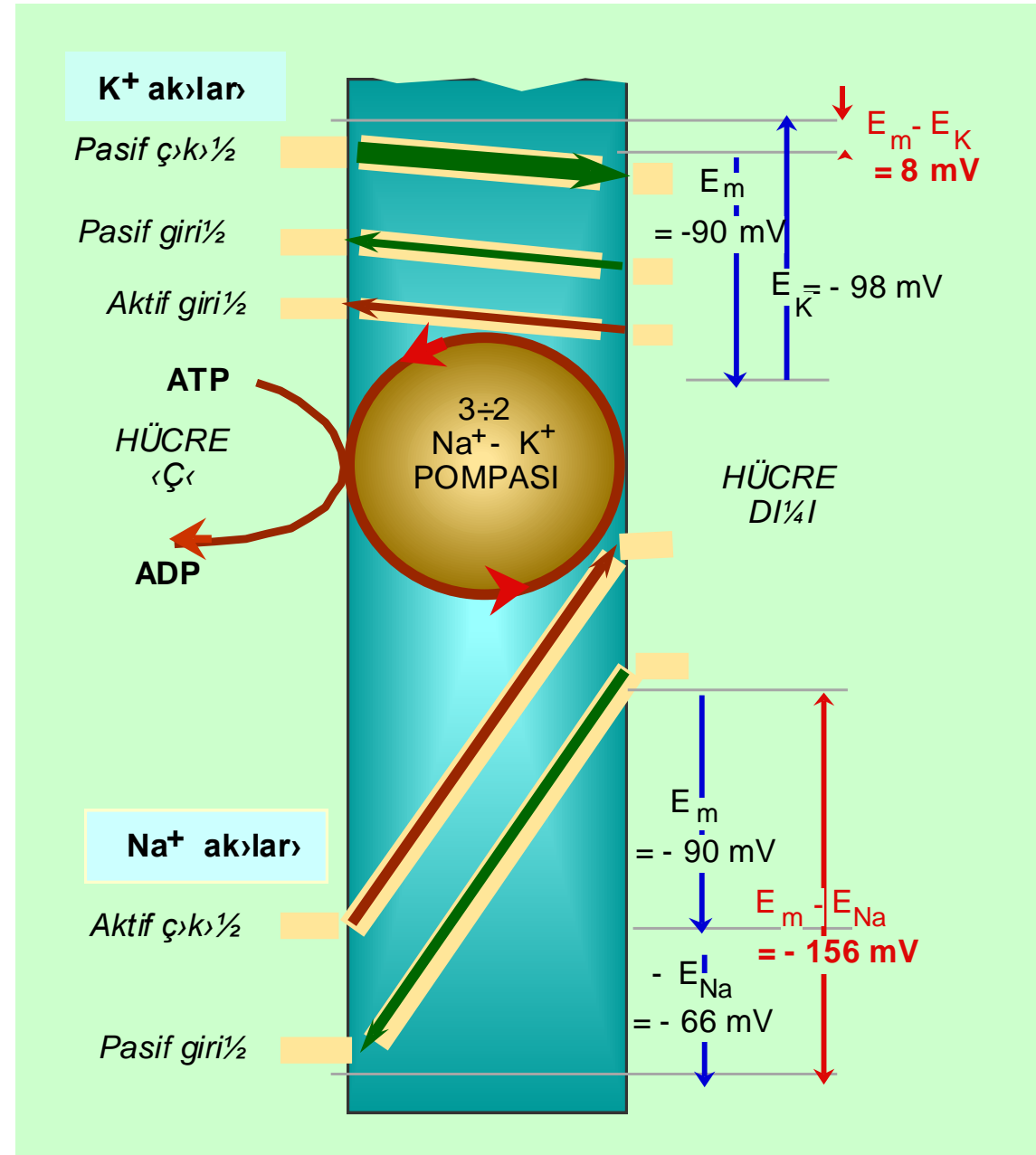
$$[Na^+]_1 = [Cl^-]_1 = c_1 \text{ ve } [Na^+]_2 = [Cl^-]_2 + [A^-]$$

Diffusion Potential

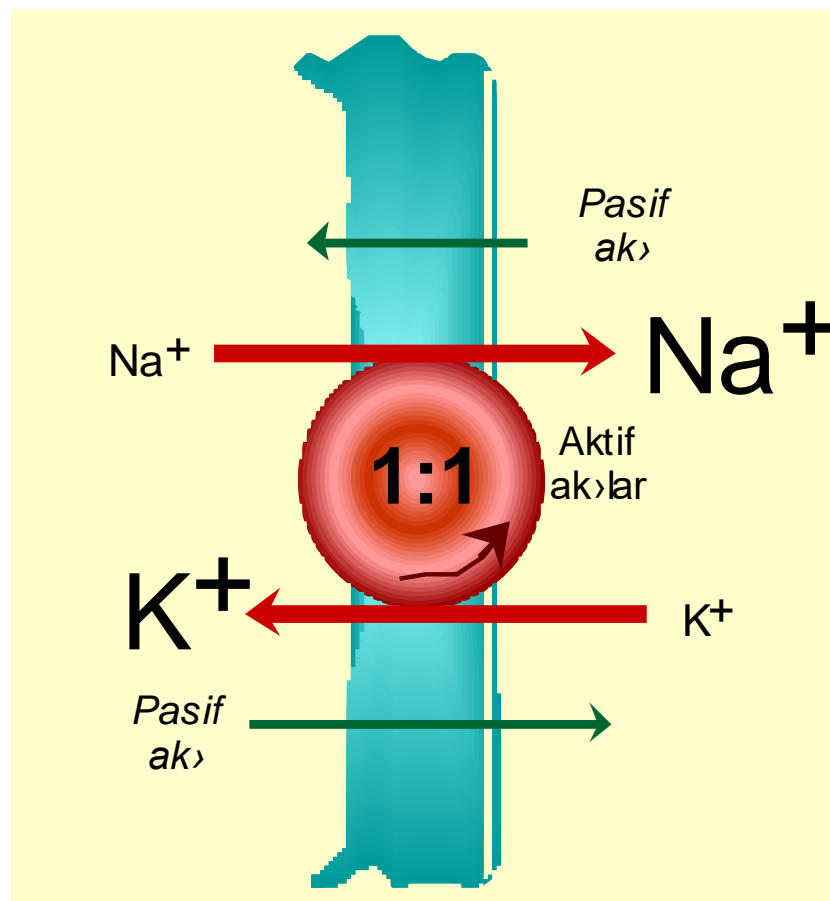


$$V = \frac{RT}{F} \frac{\mu_{Na} - \mu_{Cl}}{\mu_{Na} + \mu_{Cl}} \ln \frac{[c]_1}{[c]_2}$$

$$P_i = D_i / \delta = \mu_i RT / (z_i F \delta) \quad [\text{m/s}]$$



Gradient in cell membrane produced by pumps



Even if pump work as 1:1 ratio, it may still produce gradient

Goldman-Hodgkin-Katz Equation

The **Nernst equation** calculates the **equilibrium potential** (also referred to as the **Nernst potential**) for an ion based on the charge on the ion (i.e., its valence) and its concentration gradient across the membrane.

$$J = J_{Na} + J_K + J_{Cl}$$

$$E_m = \frac{RT}{F} \ln \frac{P_K [K^+]^{d/2} + P_{Na} [Na^+]^{d/2} + P_{Cl} [Cl^-]^{i\zeta}}{P_K [K^+]^{i\zeta} + P_{Na} [Na^+]^{i\zeta} + P_{Cl} [Cl^-]^{d/2}}$$

$$P_K \div P_{Na} \div P_{Cl} \approx 1 \div 0,04 \div 0,45$$

Resting membrane potential

For, $P_K \gg P_{Na}, P_{Cl}$

$$E_m \approx \frac{RT}{F} \ln \frac{[K^+]^{d/2}}{[K^+]^{i\zeta}} \rightarrow E_K$$

Equivalent electric circuit for the ion-selective membrane

