

# Chapter 23 Section 4:

## Electric Fields

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**Reference Book:** “Physics for Scientists and Engineers” by R. A. Serway & J. W. Hewett

**Similar Book:** “Physics for Scientists&Engineers” by  
D.C.Giancoli

# Section 23.4: The Electric Field

## Introduction

### *The Electric Force is a Field Force.*

- Field forces can act through all space.
- Their effects are produced even with no physical contact between objects.

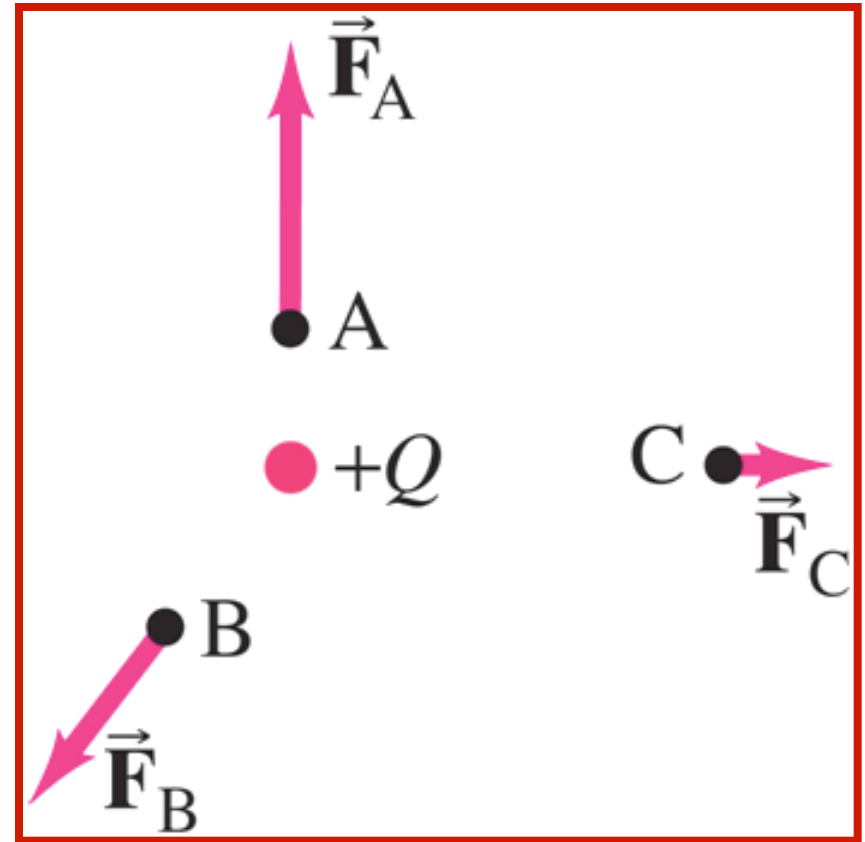
Faraday developed the concept of a field in terms electric fields.

# The Electric Field

- The Electric Field is defined as the force on a small positive charge  $q$ , (a “**Test Charge**”) divided by the magnitude of the charge:

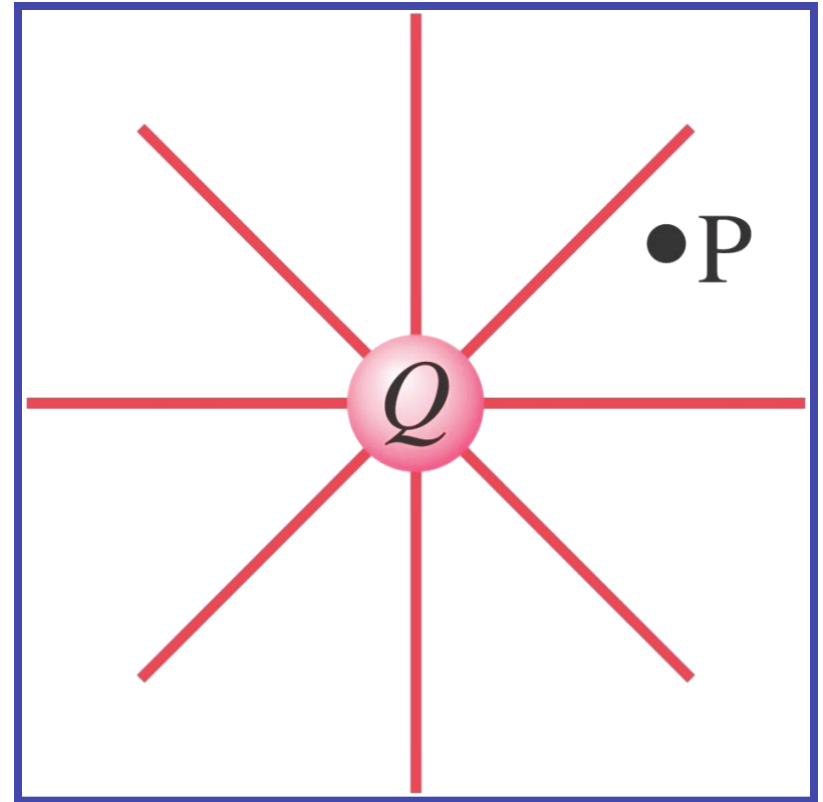
$$\vec{\mathbf{E}} = \frac{\vec{\mathbf{F}}}{q}$$

- The direction of the **Electric Field due to a positive charge  $+Q$  is radially outward from** the charge.



# **An Electric Field *surrounds every charge.***

- An **Electric Field** exists in the region of space around a charged object.
  - This charged object is the **Source Charge**.
- When another charged object, the **Test Charge**, enters this electric field, an electric force acts on it.



The Electric Field due to a *single point charge*  $Q$  is:

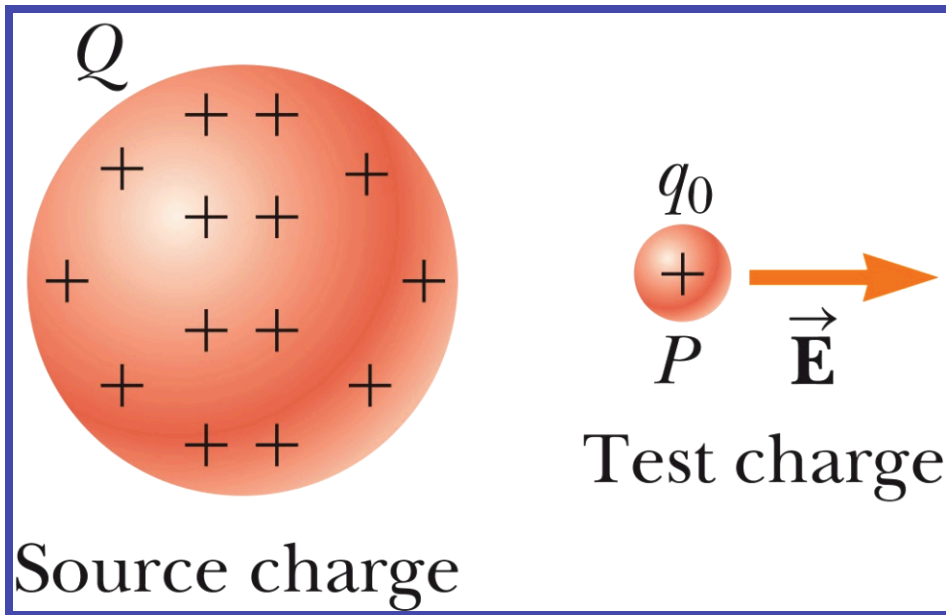
$$E = \frac{F}{q} = \frac{kqQ/r^2}{q}$$
$$E = k \frac{Q}{r^2};$$

In terms of  $\epsilon_0$ , the permittivity of free space:

$$E = \frac{1}{4\pi\epsilon_0} \frac{Q}{r^2}.$$

*The direction of  $\mathbf{E}$  is that of the force on a positive test charge.*

- We can also say that an electric field exists at a point if a test charge at that point experiences an electric force.



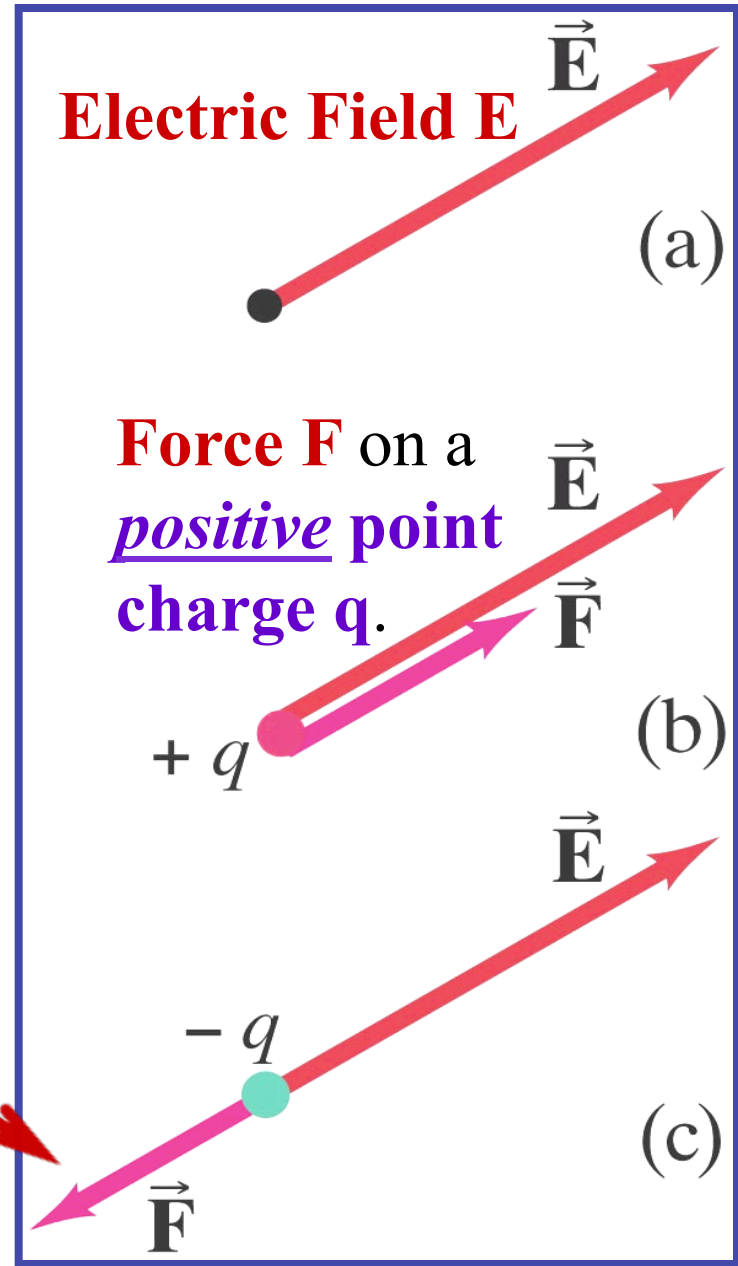
- The **SI** units of  **$\mathbf{E}$**  are  **$\text{N/C}$**  (or  **$\text{V/m}$** ).

- The **Force** on a *positive* point charge  $q$  in an electric field  $\mathbf{E}$ :

$$\vec{\mathbf{F}} = q\vec{\mathbf{E}}.$$

- This is valid for a point charge only. If  $q$  is negative, the **Force**  $\mathbf{F}$  & the **Electric Field**  $\mathbf{E}$  point in the opposite direction than when  $q$  is positive.

**Force**  $\mathbf{F}$  on a *negative* point charge  $-q$ .



# Electric Field, Vector Form

Remember that Coulomb's Law, between the source and test charges can be expressed as

$$\vec{\mathbf{F}}_e = k_e \frac{qq_o}{r^2} \hat{\mathbf{r}}$$

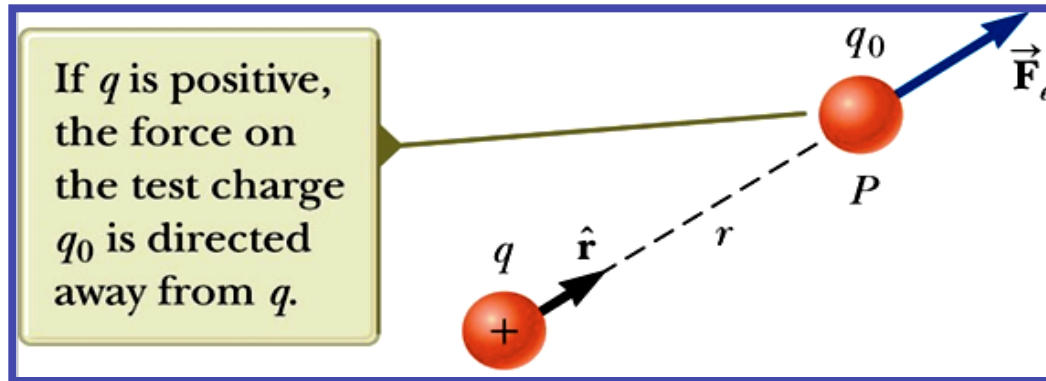
Then, **the electric field will be**

$$\vec{\mathbf{E}} = \frac{\vec{\mathbf{F}}_e}{q_o} = k_e \frac{q}{r^2} \hat{\mathbf{r}}$$



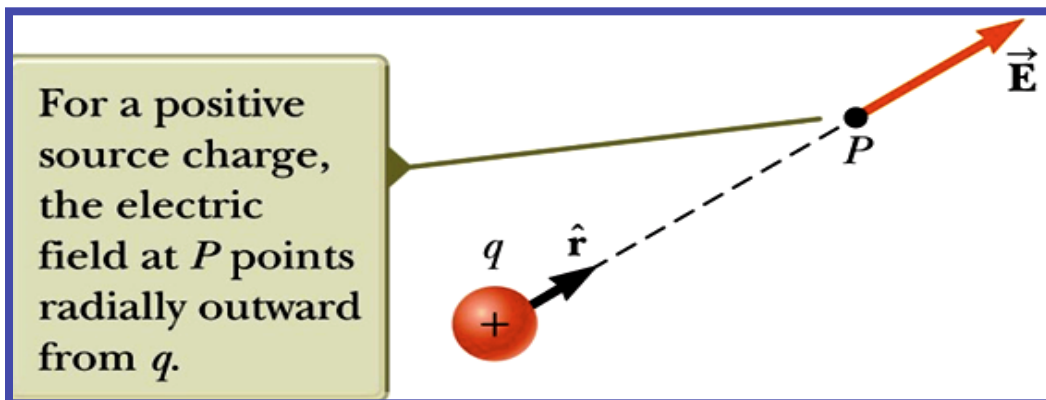
# More On Electric Field Direction

- If a Charge  $q$  is Positive, the Force is Directed Away from  $q$ .



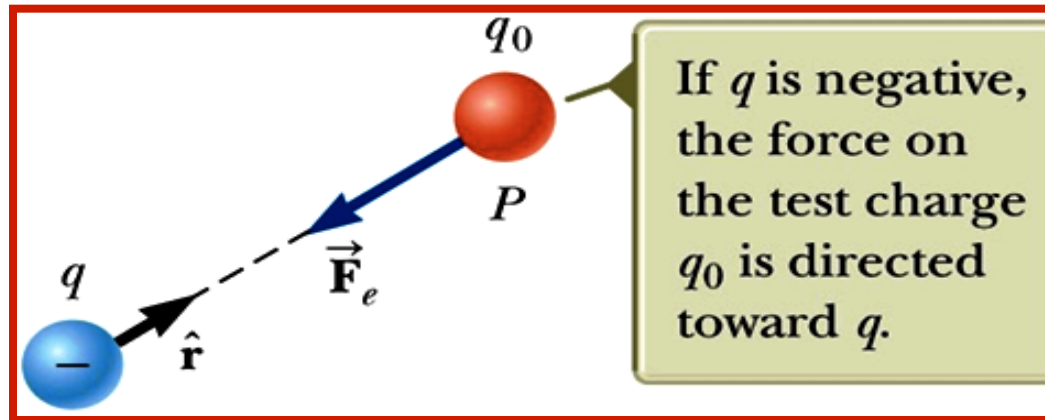
(Fig. a)

- The Electric Field Direction is Also Away from a Positive Source Charge.



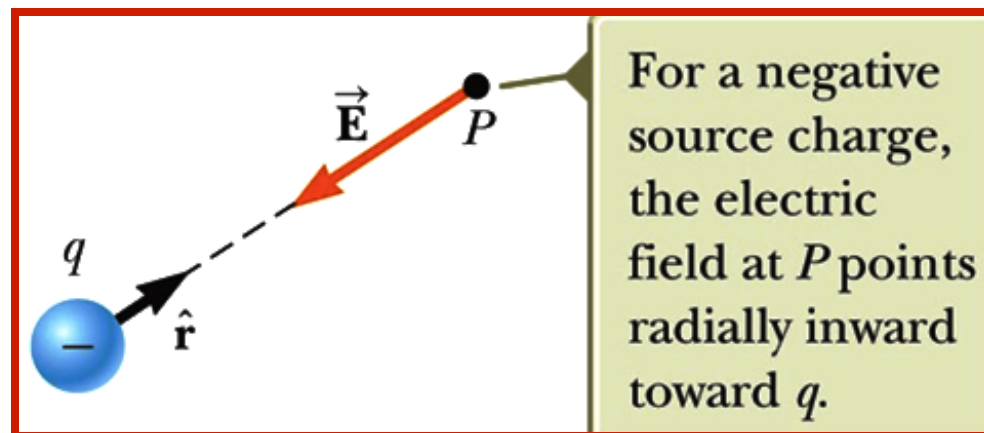
(Fig. b)

- If a *Charge  $q$  is Negative*, the **Force is Directed Towards  $q$** .



(Fig. c)

- The *Electric Field Direction* is *Also Towards* a *Negative Source Charge*.



(Fig. b)

# Electric Fields from Multiple Charges

- At any point **P**, the total electric field **E** due to a group of source charges **q<sub>i</sub>** equals

*The Vector Sum* of the electric fields of all of the charges:

$$\vec{\mathbf{E}} = k_e \sum_i \frac{q_i}{r_i^2} \hat{\mathbf{r}}_i$$

# Problem Solving in Electrostatics:

## Electric Forces & Electric Fields

1. Sketch a Diagram showing all charges, with signs, & electric fields & forces with directions.

3. Calculate Forces using Coulomb's Law.

4. Add Forces Vectorially to get the result.

5. Check Your Answer!