DATA TYPES - 1
WEEK 2

## NUMERIC DATA TYPES

MATLAB provides several options for storing numbers as bits (default : double)

| Type | Description | Range |
| :--- | :--- | :--- |
| uint8 | 8 bit unsigned integer | Integers from 0 to 255 |
| int8 | 8 bit signed integer | Integers from -128 to 127 |
| uint16 | 16 bit unsigned integer | Integers from 0 to 65535 |
| int16 | 16 bit signed integer | Integers from -32768 to 32767 |
| uint32 | 32 bit unsigned integer | Integers from 0 to 4294967295 |
| int32 | 32 bit signed integer | Integers from -2147483648 to 2147483647 |
| single | 32 bit floating point | $-3.402823 E 38$ to $-1.401298 \mathrm{E}-45$ <br> $1.401298 \mathrm{E}-45$ to 3.402823E38 |
| double | 64 bit floating point | -1.79769313486232 E 308 to $-4.94065645841247 \mathrm{E}-324$ <br> $4.94065645841247 \mathrm{E}-324$ to 1.79769313486232 E 308 |

## STRINGS IN MATLAB

- MATLAB stores strings as an array of characters
>> name = 'Cemil'
>> double(name)
ans =
$\begin{array}{lllll}67 & 101 & 109 & 105 & 108\end{array}$
- Each letter in the string is represented by a decimal number in the ASCII table


## VECTORS

- The elements are separated by commas to create a row vector
- Use square brackets:
$\gg x=[1,3,5]$
$x=$
135
- a column vector can be created with transpose notation (')
$\gg y=[1,3,5] '$
$\mathrm{y}=$
1
3
5


## VECTORS

- a column vector can also be created by separating elements with semicolons
$\gg z=[7 ; 11 ; 13]$
Z =
7
11
13
- a new vector can be created by appending one vector to another
$\gg x=[1,3,5]$
$\gg y=[7,11,13]$
$\gg \mathrm{Z}=[\mathrm{x}, \mathrm{y}]$
Z =
$\begin{array}{llllll}1 & 3 & 5 & 7 & 11 & 13\end{array}$


## VECTORS

- The column operator creates vectors consisting of equally spaced elements

Syntax: $x=p: q$ : $r$ or $x=(p: q: r)$ Do not use sqare brackets!
>> $x=1: 2: 9$
$\mathrm{x}=$
$\begin{array}{lllll}1 & 3 & 5 & 7 & 9\end{array}$
$\gg x=1: 2: 8$
$\mathrm{x}=$
$\begin{array}{lll}1 & 3 & 5\end{array}$

- If $p-r$ is an integer multiple of $q$, then the final value is $r$. Otherwise, the final value is less than $r$.
- Step size does not have to be an integer
>> $y=1: 0.5: 4$
$y=$
$\begin{array}{lllllll}1.0000 & 1.5000 & 2.0000 & 2.5000 & 3.0000 & 3.5000 & 4.0000\end{array}$
- Default step size is 1 .
>> $z=1: 5$
z =
$\begin{array}{lllll}1 & 2 & 3 & 4 & 5\end{array}$


## VECTORS

- With the linspace command, evenly spaced row vectors can be created. However, instead of incrementing, the number of elements is specified.
Syntax: $x=\operatorname{linspace}(p: r: n)$
>> $x=$ linspace $(1,5,7)$
$\mathrm{X}=$
$\begin{array}{lllllll}1.0000 & 1.6667 & 2.3333 & 3.0000 & 3.6667 & 4.3333 & 5.0000\end{array}$
If n is not specified, the spacing is 1 .
- The logspace command creates an array of logarithmically spaced elements

Syntax: $x=\operatorname{logspace}(p: r: n)$
>> $x=$ logspace $(-0.5,1,4)$
$\mathrm{X}=$
$\begin{array}{llll}0.3162 & 1.0000 & 3.1623 & 10.0000\end{array}$
(4 points between $10^{p}$ and $10^{9}$ )
If $n$ is not specified, the default number of points is 50 .

- The length command gives the number of elements in the vector.

Syntax: length(x)
>> $x=[17,19,23]$
>> length $(x)$
ans =
3

## MATRICES

- Spaces or commas separates elements in different columns. Semicolons separate elements in different rows.
$\gg X=[1,3,5 ; 7,11,13]$
$X=$
135
$\begin{array}{lll}7 & 11 & 13\end{array}$
- Matrices can also be generated from vectors.
$\gg y=[1,3,5]$
$\gg z=[7,11,13]$
$\gg A=[y z]$
A =
$\begin{array}{llllll}1 & 3 & 5 & 7 & 11 & 13\end{array}$
or
$\gg A=[y ; z]$
$A=$
135
$\begin{array}{lll}7 & 11 & 13\end{array}$
or
>> $A=[[1,3] ;[5,7] ;[11,13]]$
$A=$
13
57
$11 \quad 13$


## ARRAY INDEXING, ARRAY ADDRESSING

- The colon (:) operator
>> $x=[11,13,17,19,23]$
$x(:)$, returns all the row or column elements of the $x$ vector.
>> $x(:)$
ans =
11
13
17
19
23
$x(a: b)$, returns the elements $a$ through $b$ of the vector $x$.
>> $x(2: 4)$
ans =
$13 \quad 17 \quad 19$


## ARRAY ADDRESSING

```
>> A = [1, 3, 5; 7, 11, 13; 17, 19, 23]
A =
    1 3 5
    7 11 13
    17}19\quad2
A(:,2) returns all the elements in the second column of the matrix A.
>> A(:,2)
ans =
    3
    1 1
    19
A(:,1:3), returns all the elements in the second through third columns of A.
>> A(:,2:3)
ans =
    3 5
    11 13
    19 23
```


## ARRAY ADDRESSING

Try the following expressions
>> A(2:3, 1:2)
ans =
711
$17 \quad 19$
>> A(: ,end)
ans =
5
13
23
$\gg C=A(:)$
$c=$
1
7
17
3
11
19
5
13
23

## SOME ARRAY FUNCTIONS

- find: Finds indices of nonzero elements of an array.

Syntax: $I=$ find $(X)$ returns the linear indices corresponding to the nonzero entries of the array $X$
$\gg X=[1,0,5,0,0,7,9]$
$\gg 1=$ find $(X)$
$1=$
$\begin{array}{llll}1 & 3 & 6 & 7\end{array}$
$[I, J]=$ find $(X)$ returns the row and column indices instead of linear indices into $X$.
>> $A=[1,0,5 ; 0,11,0 ; 17,0,23]$
$\gg[I, J]=$ find $(A)$
I =
1
3
2
1
3
$J=$
1
1
2
3
3

## SOME ARRAY FUNCTIONS

$[I, \mathrm{~J}, \mathrm{~V}]=$ find $(\mathrm{X})$ also returns a vector V containing the values that correspond to the row and column indices I and J .

- length: Computes either the number of elements of $A$ if $A$ is a vector or the largest value of $m$ or $n$ if $A$ is an $m \times n$ matrix.

Syntax: I = length(A)
>> $A=[1,3,5 ; 7,11,13]$
>> length(A)
ans =
3

- max: Largest component. For vectors, $\max (\mathrm{X})$ is the largest element in X . For matrices, $\max (\mathrm{X})$ is a row vector containing the maximum element from each column.
Syntax: $[\mathrm{Y}, \mathrm{I}]=\max (\mathrm{X})$ returns the indices of the maximum values in vector I .
$\gg \max (A)$
ans =
$\begin{array}{lll}7 & 11 & 13\end{array}$
$\gg x=[11,13,17,19,23]$
>> $\max (\mathrm{x})$
ans =


## SOME ARRAY FUNCTIONS

- size: Returns a row vector [m n] containing the sizes of the $m \times n$ array $A$.

Syntax: size(A)
>> $A=[1,3,5 ; 7,11,13]$
>> size(A)
ans =
23

- sort: Sorts each column of the array A in ascending order and returns an array the same size as $A$.

Syntax: sort(A)
>> sort(A)
ans =
135
$\begin{array}{lll}7 & 11 & 13\end{array}$

- sum: Sorts each column of the array A in ascending order and returns an array the same size as A.

Syntax: sort(A)
>> sum(A)
ans =
$8 \quad 14$

## MULTIDIMENSIONAL ARRAYS

$$
\begin{aligned}
& \gg A(:: ;, 1)=[1,3,5 ; 7,11,13] \\
& \gg A(: ; ; 2)=[17,19,23 ; 27,29,31] \\
& \gg A \\
& A(:,:, 1)= \\
& \begin{array}{rrl}
1 & 3 & 5 \\
7 & 11 & 13 \\
A(::,: 2) & = \\
17 & 19 & 23 \\
27 & 29 & 31
\end{array}
\end{aligned}
$$

