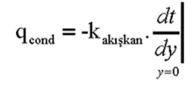
FDE 208 HEAT TRANSFER AND THERMAL PROCESSES

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CONVECTION

- For heat conduction and convection, there should be a temperature difference between two points and there also should be a medium.
- In case of convection, mostly the medium is in liquid form.
- Natural convection
- Forced convection

- Factor effective on convection;
 -thermal conductivity of liquid
 -density
 -specific heat capacity
- -dynamic viscosity



 $\underline{q_{conv}} = \underline{q_{cond}}$

 $\underline{q_{conv}}=h.(\underline{Ts}-T\infty)$

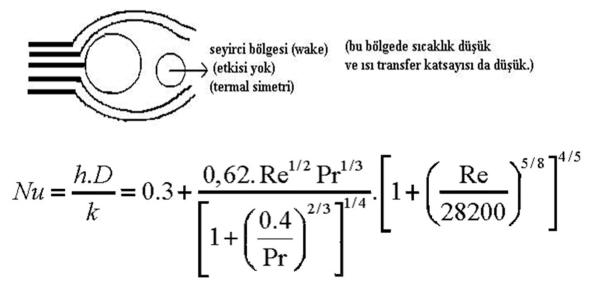
$$\frac{q_{\text{conv}} = h.(Ts - T\infty)}{h = \frac{-k_{akaşkan}}{Ts - T\infty}}$$

DETERMINATION OF HEAT TRANSFER COEFFICIENT

• Flow over plain plates:

$$\begin{cases} Nu = \frac{h.L}{k} = 0,664. \operatorname{Re}_{L}^{1/2}. \operatorname{Pr}^{1/3} & \operatorname{Re} < 5*10^{5} & \operatorname{oldugunda} \\ \operatorname{Pr} \ge 0.6 & \operatorname{oldugunda} \\ Nu = \frac{h.L}{k} = 0,037. \operatorname{Re}_{L}^{4/5}. \operatorname{Pr}^{1/3} & 1*10^{7} > \operatorname{Re} > 5*10^{5} & \operatorname{oldugunda} \\ & 0.6 \le \operatorname{Pr} \le 60 \end{cases}$$





• For spheres;

$$Nu = \frac{h.D}{k} = 2 + \left[0, 4. \operatorname{Re}^{1/2} + 0, 06 \operatorname{Re}^{2/3}\right] \operatorname{Pr}^{0.4} \left(\frac{M\infty}{Ms}\right)^{1/4}$$

• For flow inside tubes;

$$Nu = 1,86 \left(\frac{\text{Re.Pr.}D}{L}\right)^{1/3} \cdot \left(\frac{Mb}{Ms}\right)^{0.14}$$



• In case of natural convection, Grashoff number should be calculated;

$$Gr = \frac{g.\beta.(T_s - T_{\infty}).\delta^3}{\nu^2}$$

- β: Expansion coefficient.
- v: Kinematic viscosity.
- g: gravity acceleration.
- δ: length