

CEN 207 Physical Chemistry

Text book:

Atkins' Physical Chemistry, Peter Atkins, Julio de Paula, James Keeler, 11th Edition, Oxford University Press.

Reference books

- . Physical Chemistry, [Robert J. Silbey](#), Robert A. Alberty, [Moungi G. Bawendi](#)
- . Physical Chemistry, Ira N. Levine

The formulation of the First Law:

Heat and work are equivalent ways of changing the internal energy of system. The internal energy of an isolated system is constant (The First Law of thermodynamics).

$$\Delta U = q + w \quad (\text{Mathematical statement of the First Law})$$

Expansion work:

$dU = dq + dw$, $dw = -|F|dz$ (*work done*) (-) sign implies internal energy decreasing.

$$w = - \int_{V_i}^{V_f} p_{ex} dV$$

Expansion against constant pressure:

$$w = -p_{ex} \int_{V_i}^{V_f} dV = -p_{ex}(V_f - V_i) = -p_{ex}\Delta V$$

The formulation of the First Law:

Reversible expansion: a change that can be reversed;

$$dw = -p_{ex}dV = -pdV$$

p_{ex} : external pressure of gas

p : pressure of gas (in the vessel)

$$w = - \int_{V_i}^{V_f} p dV \rightarrow p = \frac{nRT}{V} \rightarrow w = -nRT \int_{V_i}^{V_f} \frac{dV}{V} = -nRT \ln \left(\frac{V_f}{V_i} \right)$$

work of reversible expansion (perfect gas).

Heat transactions:

In general, the change in internal energy;

$$dU = dq + dw_{exp} + dw_{add}$$

At constant V, $dw_{exp}=0$, however if there is no addition work

$$dU = dq \quad \text{Heat transferred at constant volume or } dU = dq_V$$

$$\int_i^f dU = \int_i^f dq_V \rightarrow \Delta U = q_V \quad q_V \text{ is not written as } \Delta q_V, \text{ because } q \text{ is not a state function.}$$

Heat capacity

$$C_V = \left(\frac{\partial U}{\partial T} \right)_V \quad \text{Heat capacity at constant volume}$$

$$dU = C_V dT = C_V \int_i^f dT = C_V (T_f - T_i) \rightarrow \Delta U = C_V \Delta T$$

$$q_V = C_V \Delta T$$

Enthalpy

$$H = U + PV \text{ definition}$$

For a general infinitesimal always change in the state of the system. Changes;

$$U \rightarrow U + dU$$

$$p \rightarrow p + dp$$

$$V \rightarrow V + dV$$

$$dH = dU + pdV + Vdp$$

$$dU = dq + dw$$

$$dH = dq + dw + pdV + Vdp \rightarrow dH = dq + Vdp$$

$$\text{at constant } p \quad dH = dq_p$$

$$\Delta H = \Delta U + \Delta nRT \text{ relation between } \Delta H \text{ and } \Delta U$$

Enthalpy

$C_p = \left(\frac{\partial H}{\partial T}\right)_p$ Heat capacity at constant pressure

$$dH = C_p dT = C_p \int_i^f dT = C_p (T_f - T_i) \rightarrow \Delta H = C_p \Delta T$$

$$q_p = C_p \Delta T$$

$$C_{p,m} = a + bT + \frac{c}{T^2} \quad a, b \text{ and } c \text{ independent of temperature}$$

$$C_p - C_V = nR$$