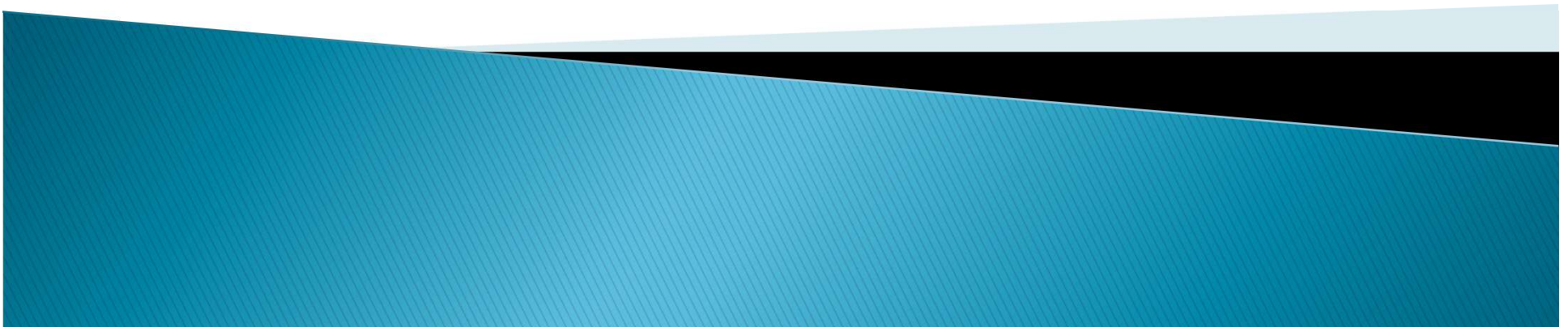


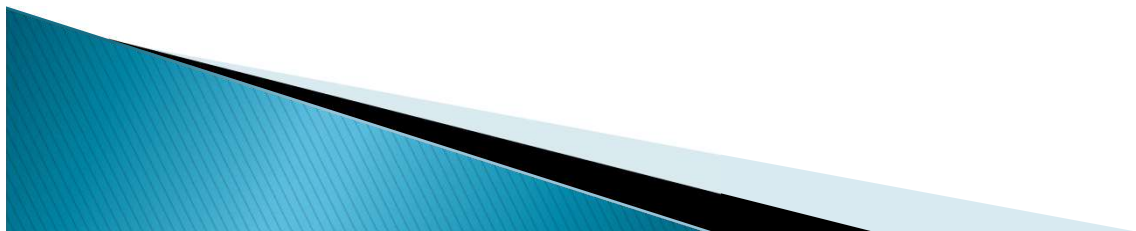
FDE 205 FLUID MECHANICS

Lecture 5

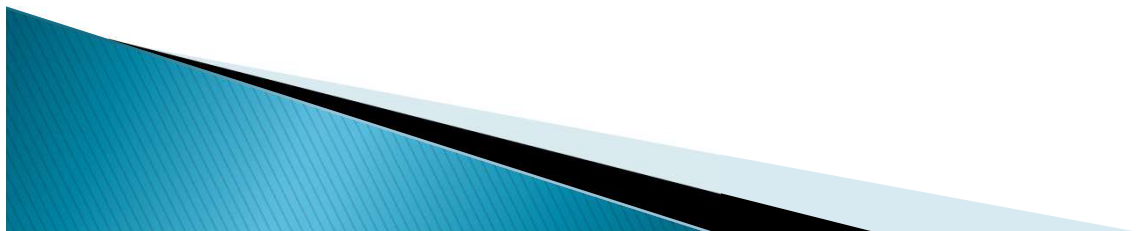


Overall Mechanical Energy Balance

- ▶ A more useful type of energy balance for flowing fluids, is a modification of the total energy balance to deal with mechanical energy.
- ▶ Engineers are often concerned with this special type of energy called mechanical energy.
- ▶ Mechanical energy is a form of energy that is either work or a form that can be directly converted into work.



- ▶ It includes the work term, kinetic energy, potential energy and the flow work part of the enthalpy term.
- ▶ The other terms in the energy balance equation, heat terms and internal energy do not permit simple conversion into work.
- ▶ Mechanical energy terms can be converted almost completely into work.
- ▶ Energy converted to heat or internal energy is lost work or a loss in mechanical energy caused by frictional resistance to flow.



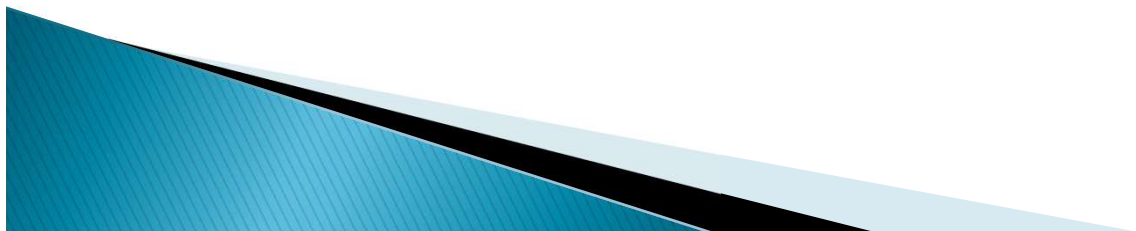
- ▶ If the fluid is incompressible (density of the fluid does not change with pressure), the overall mechanical energy equation can be written as:

$$\frac{1}{2\alpha} (v_2^2 - v_1^2) + g(z_2 - z_1) + \frac{p_2 - p_1}{\rho} + \sum F + W_s = 0$$

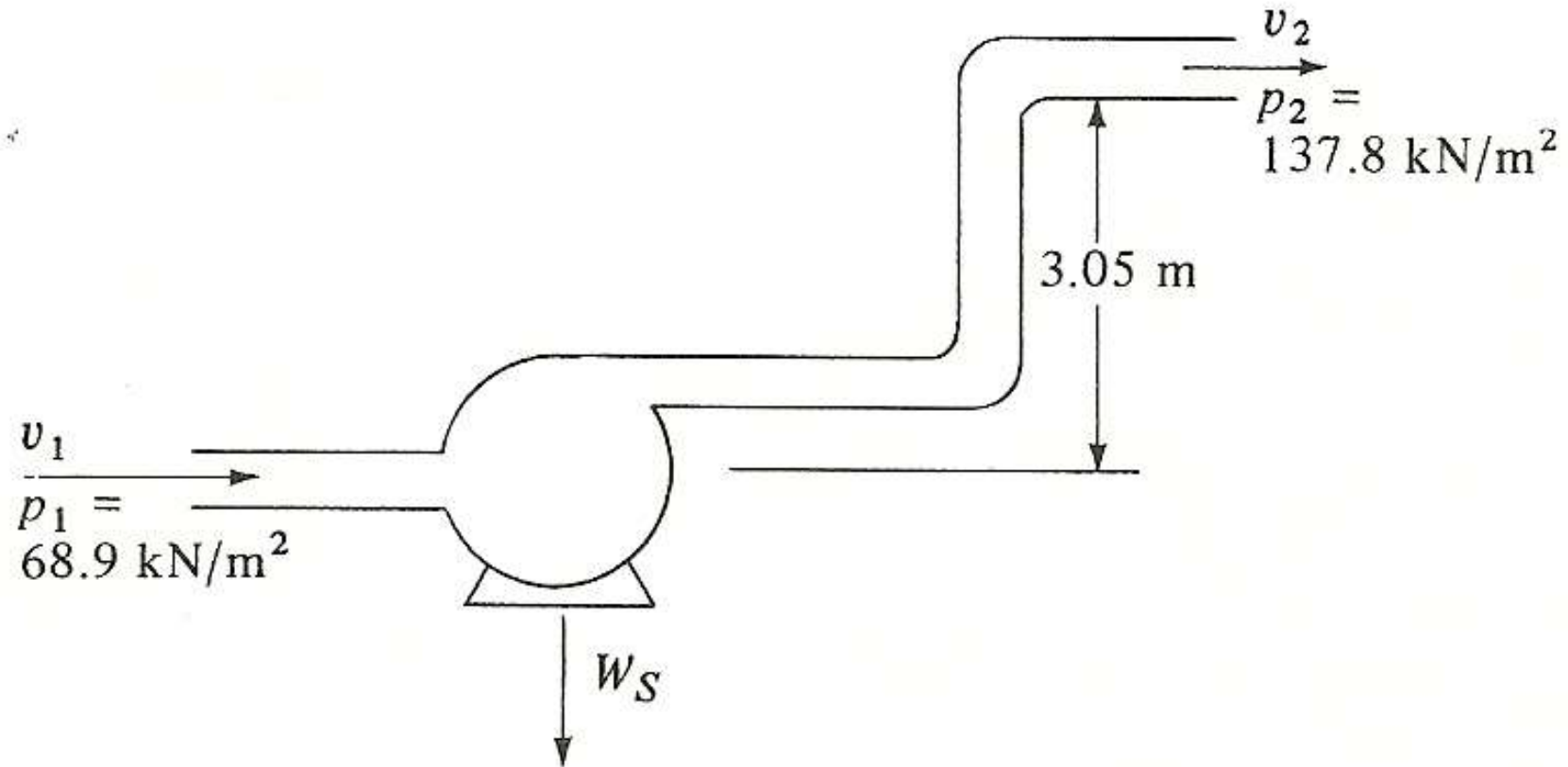


Example 2.7-4

- ▶ Water with a density of 998 kg/m^3 is flowing at a steady mass flow rate through a uniform-diameter pipe. The entrance pressure of the fluid is 68.9 kN/m^2 abs in the pipe, which connects to a pump that actually supplies 155.4 J/kg of fluid flowing in the pipe. The exit pipe from the pump is the same diameter as the inlet pipe. The exit section of the pipe is 3.05 m higher than the entrance, and the exit pressure is 137.8 kN/m^2 abs. The Reynolds number in the pipe is above 4000 in the system. Calculate the frictional loss in the pipe system.



Example 2.7-4



Bernoulli Equation for Mechanical Energy Balance

- ▶ In special cases, the friction term and the shaft work term can be neglected.

$$\sum F = 0$$

$$W_s = 0$$

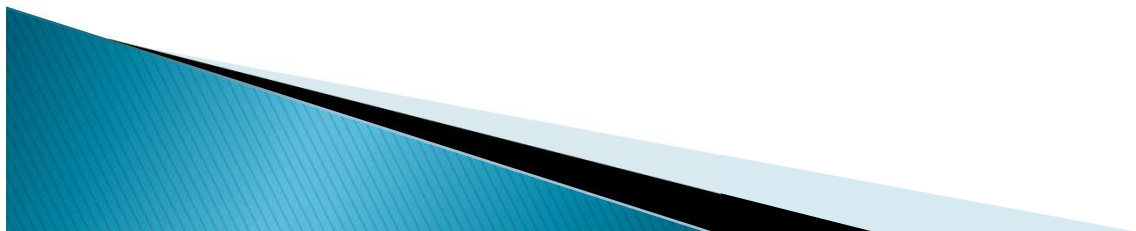
- ▶ For those cases mechanical energy equation is called as Bernoulli Equation.

$$\frac{1}{2\alpha} (v_2^2 - v_1^2) + g(z_2 - z_1) + \frac{p_2 - p_1}{\rho} = 0$$



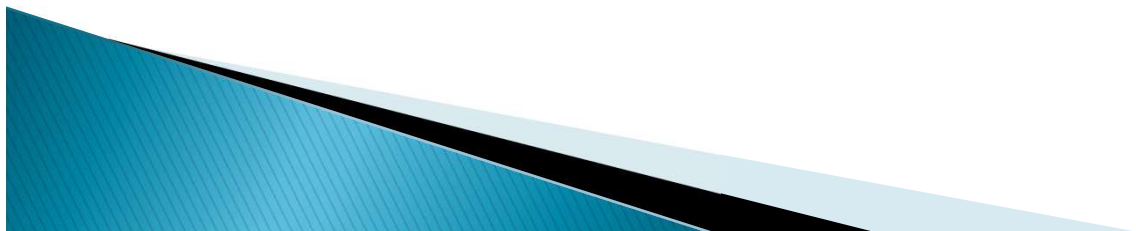
Example 2.7–6

- ▶ A liquid with a constant density ρ (kg/m^3) is flowing at an unknown velocity v_1 (m/s) through a horizontal pipe of cross-sectional area A_1 (m^2) at a pressure P_1 (N/m^2) and then it passes to a section of the pipe in which the area is reduced gradually to A_2 (m^2) and the pressure is P_2 . Assuming no friction losses, calculate the velocities, if we know the pressure differences ($P_1 - P_2$).

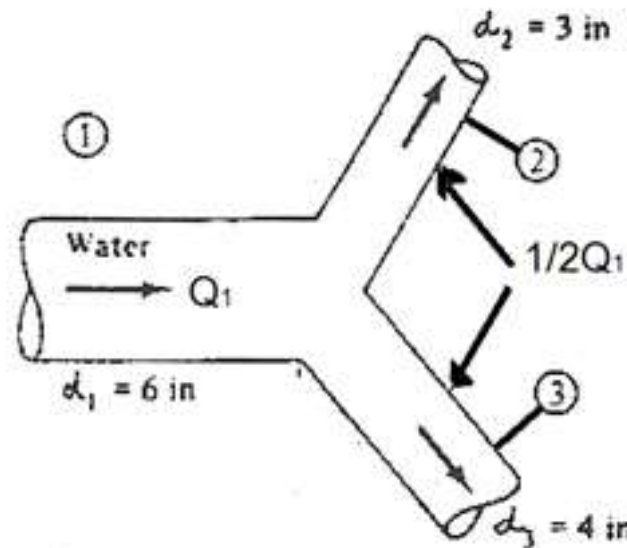


Example 2.7-7

- ▶ A nozzle of cross-sectional area A_2 is discharging to the atmosphere and is located in the side of a large tank, in which the open surface of the liquid in the tank is H (m) above the center line of the nozzle. Calculate the velocity v_2 in the nozzle and the volumetric rate of discharge if no friction losses are assumed.



- ▶ Water flows inside the pipe below. $Q_1 = 4 \text{ ft}^3/\text{s}$
 $P_1 = 20 \text{ psig}$. $Q_2 = Q_3 = 1/2 Q_1$. Calculate P_2 and P_3 . Neglect any losses due to friction. Assume that pipes are at the same level (no potential energy difference).



- ▶ Homework 2.7.4 and 2.7.7 from the book (at the end of chapter 2)

